

# L'évolution des événements extrêmes du niveau de la mer

*Marta Marcos, Francisco M. Calafat, Ángel Berihuete, Sönke Dangendorf*



Natural Environment Research Council



Universidad de Cádiz



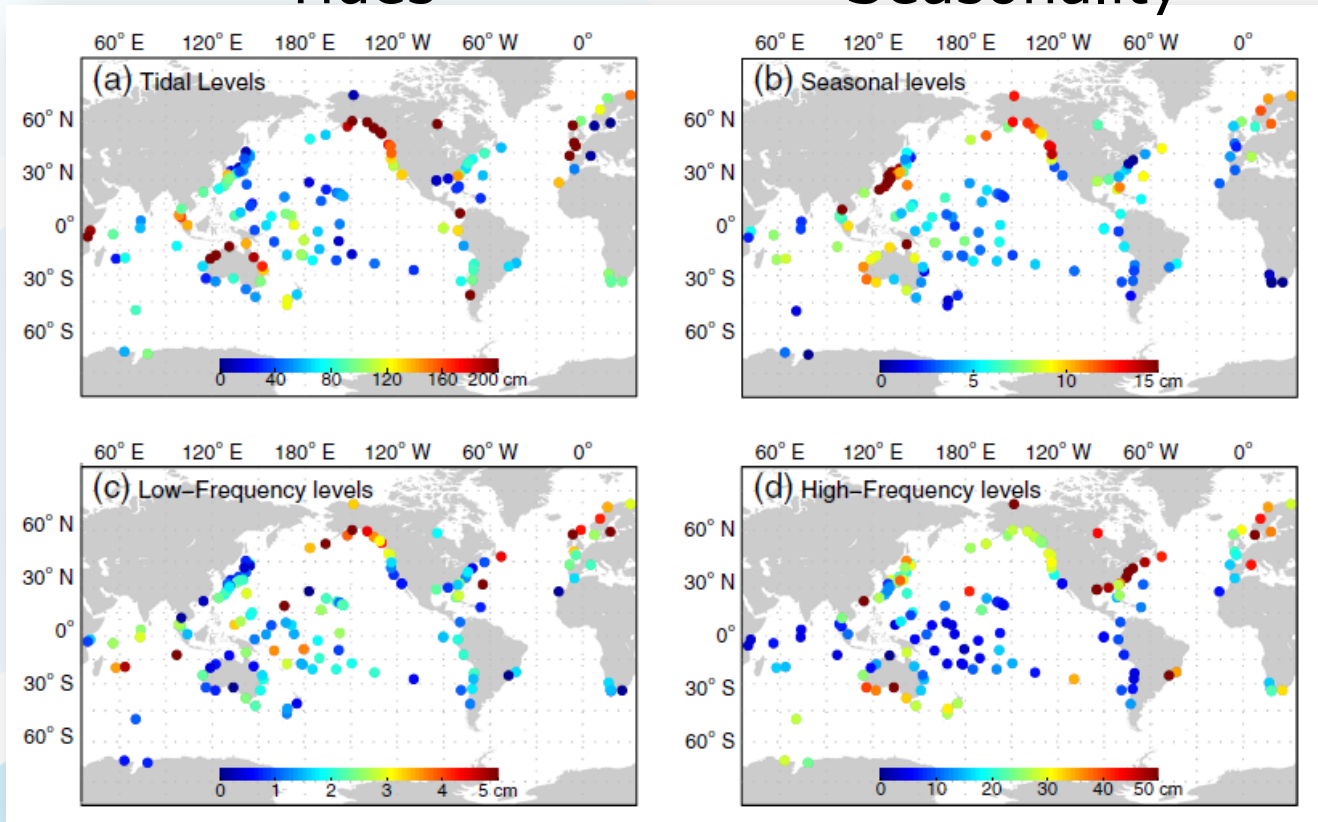
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# Motivation

## Contributions to extreme sea levels

Tides

Seasonality



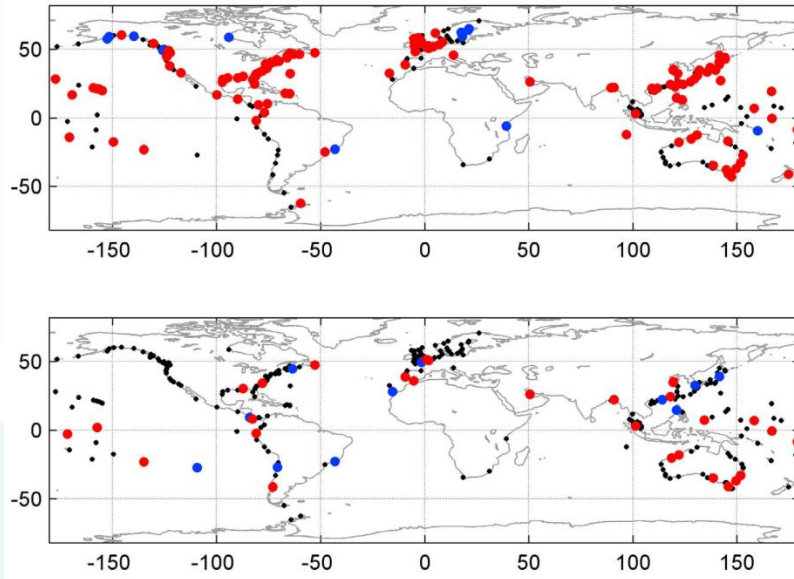
Mean sea level

*Merrifield et al (2013)*

Surges

# Motivation

## Changes in extremes



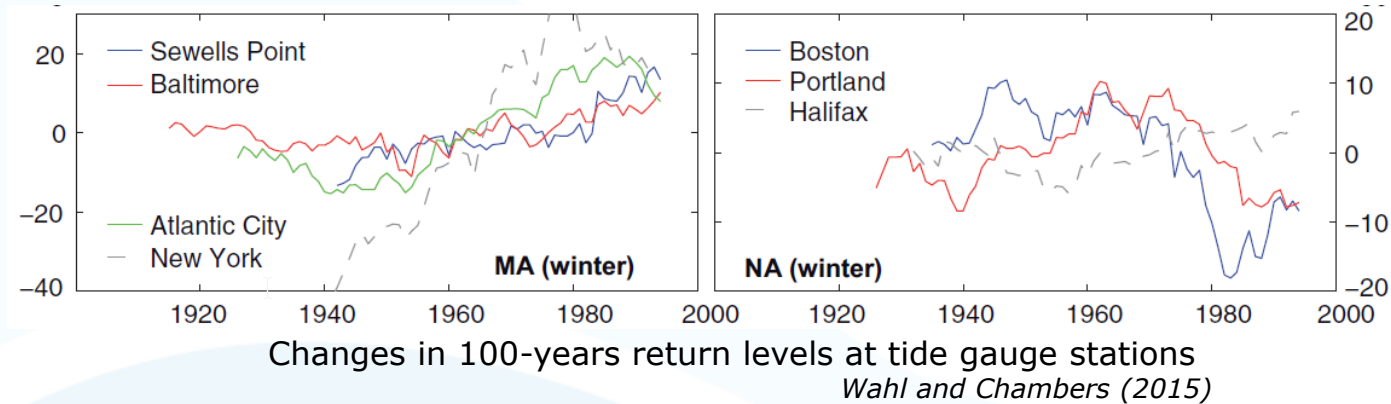
Trends in 99th percentiles of sea level (top) and reduced to their annual median (bottom)

*Menéndez and Woodworth (2010)*

“there is low confidence of any trend or long term change in tropical or extratropical storm frequency or intensity”  
IPCC AR5

Increase in extreme sea levels are mostly the result of rise in mean sea level

# How to detect changes/trends in extreme sea levels?



- Parametric (adjusting a distribution with temporally changing parameters)
- Non-parametric (e.g. using time windows and adjust a distribution)
- All rely in Maximum Likelihood Estimations... which does **not always converge**

# Outline

Sea level data set and data processing

Methodology: state space models for extreme occurrence and for extreme intensity

Changes in extreme intensities

Changes in extreme occurrences

Large scale coherency

Conclusions

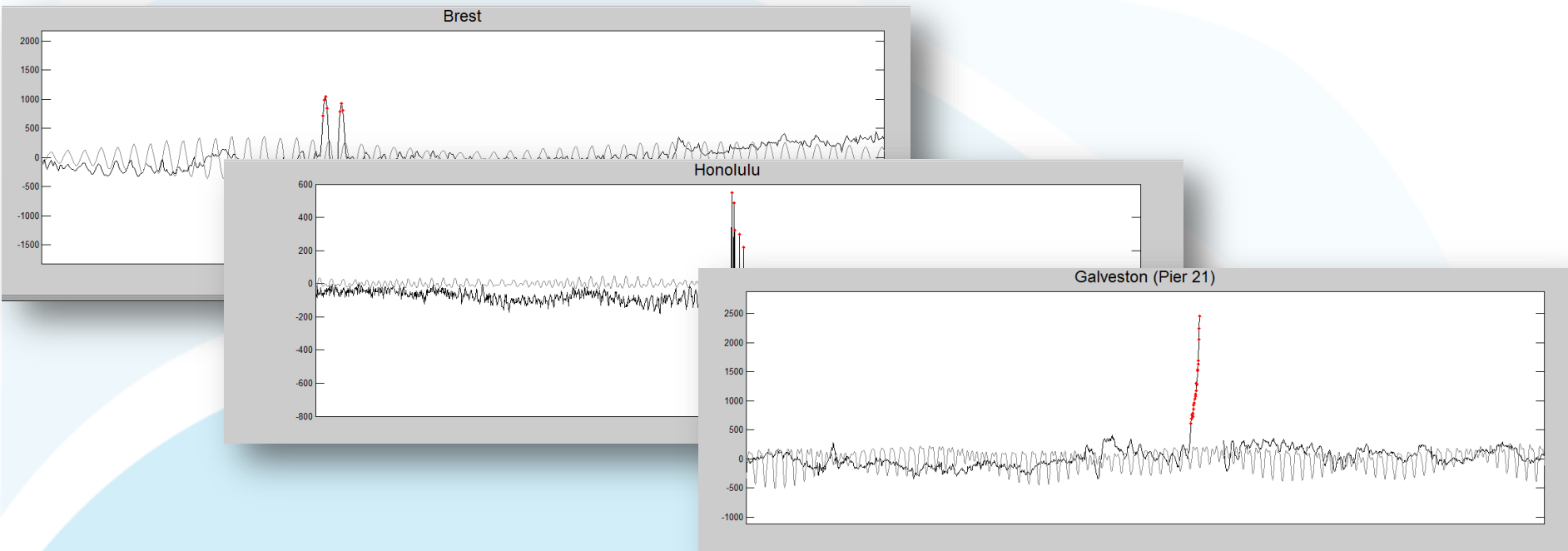
# Sea level data set and processing

675 stations  
(GESLA+UHSLC)

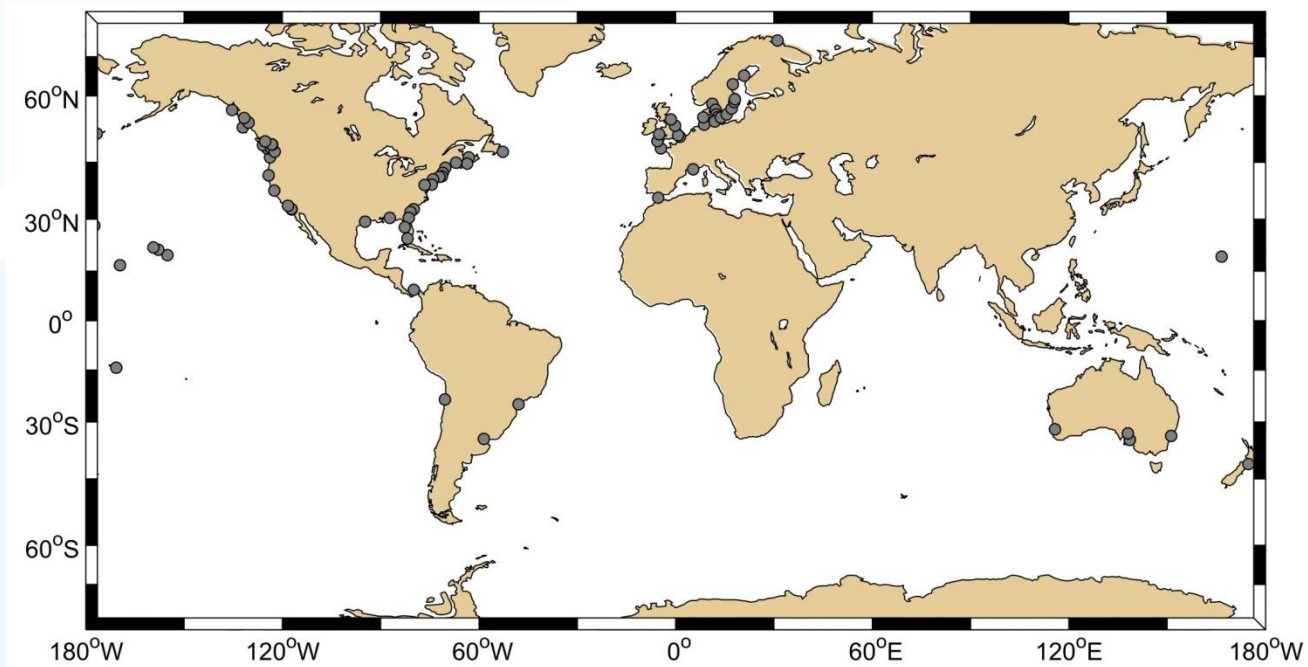
L>50 yrs and 70%  
completeness  
~123 stations

Removal of tides,  
seasonal cycle and  
MSL

## Visual quality control



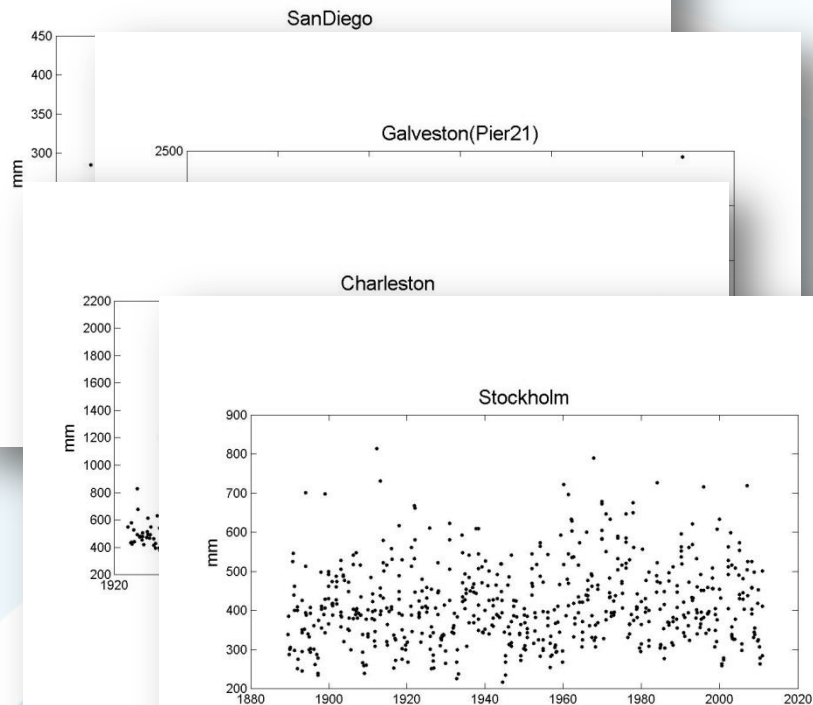
# Sea level data set and processing



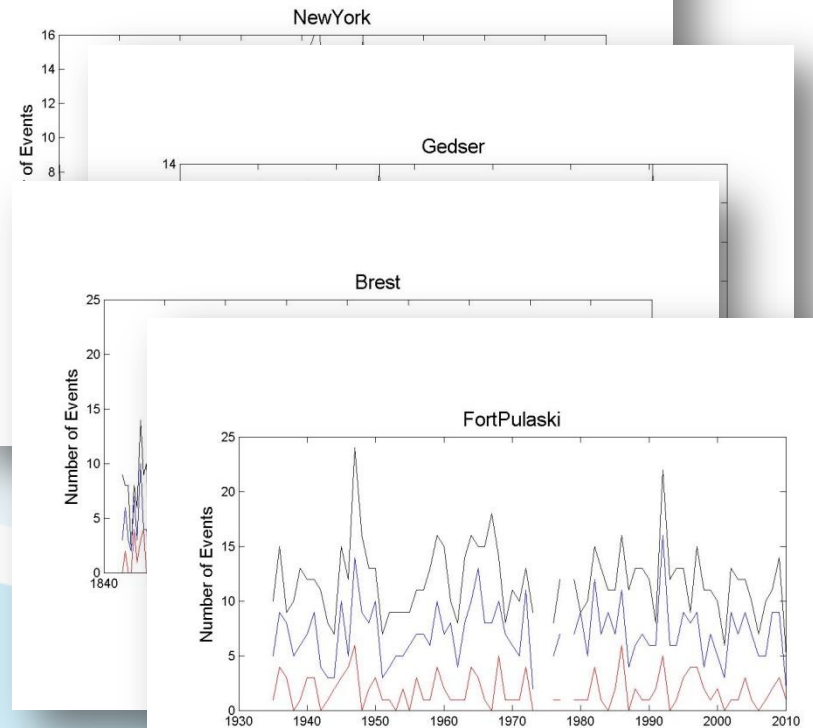
77 tide gauge stations unevenly distributed

# Sea level data set and processing

Intensity of extremes (5 events per year)



Frequency of extremes (events exceeding the 99th, 99.5th and 99.9th percentiles)





# Methodology: state space approach

Sequence of observations from time 1 to N  $\{Y_1, Y_2, \dots, Y_N\}$

Sequence of unobserved (hidden) states  $\{X_1, X_2, \dots, X_N\}$

State Equation  $X_{t+1} = G_t(X_t) + \omega, \quad \omega \sim \mathcal{N}_d(0, W_t)$

Observation Equation  $Y_t = F_t(X_t) + v, \quad v \sim \mathcal{N}_m(0, V_t)$

$$p(X_t | y_{1:N})$$

# Methodology: state space approach

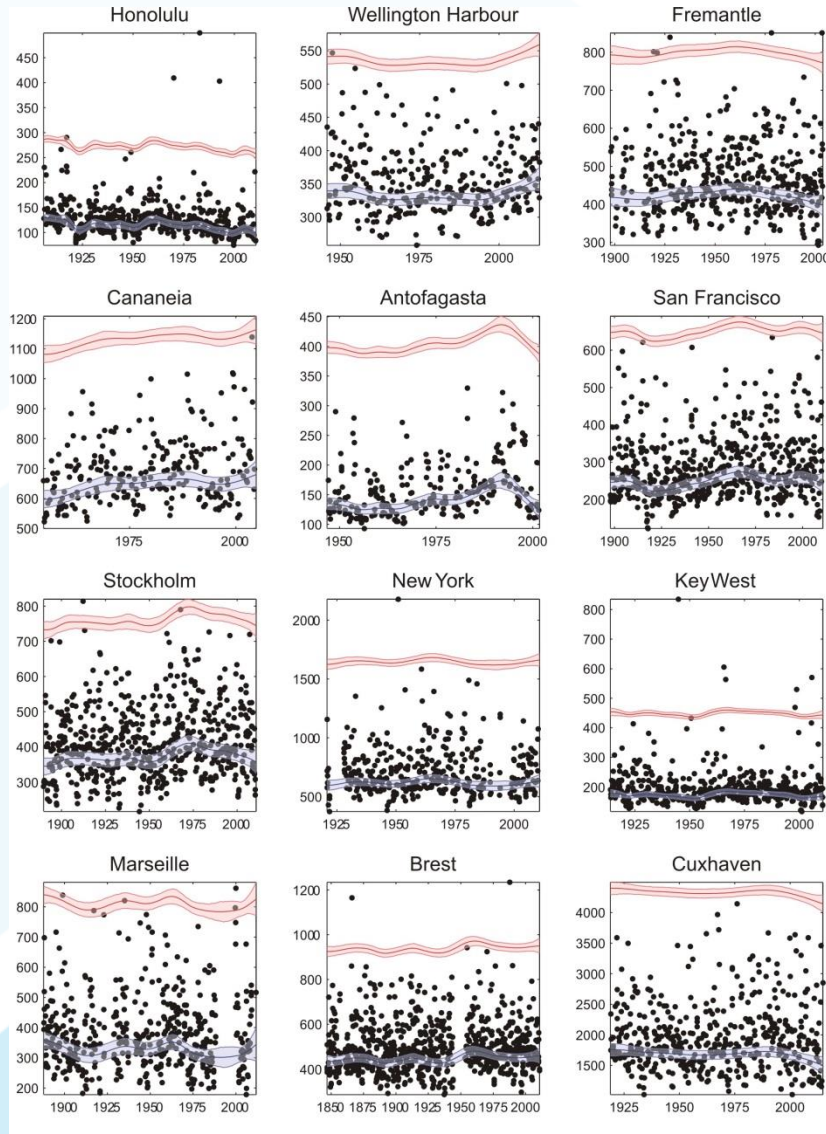
## Advantages

- No assumptions are made regarding the temporal variability of the observations
- Uneven data sampling and gaps in the time series are allowed

# Changes in extreme intensity

...for selected sites

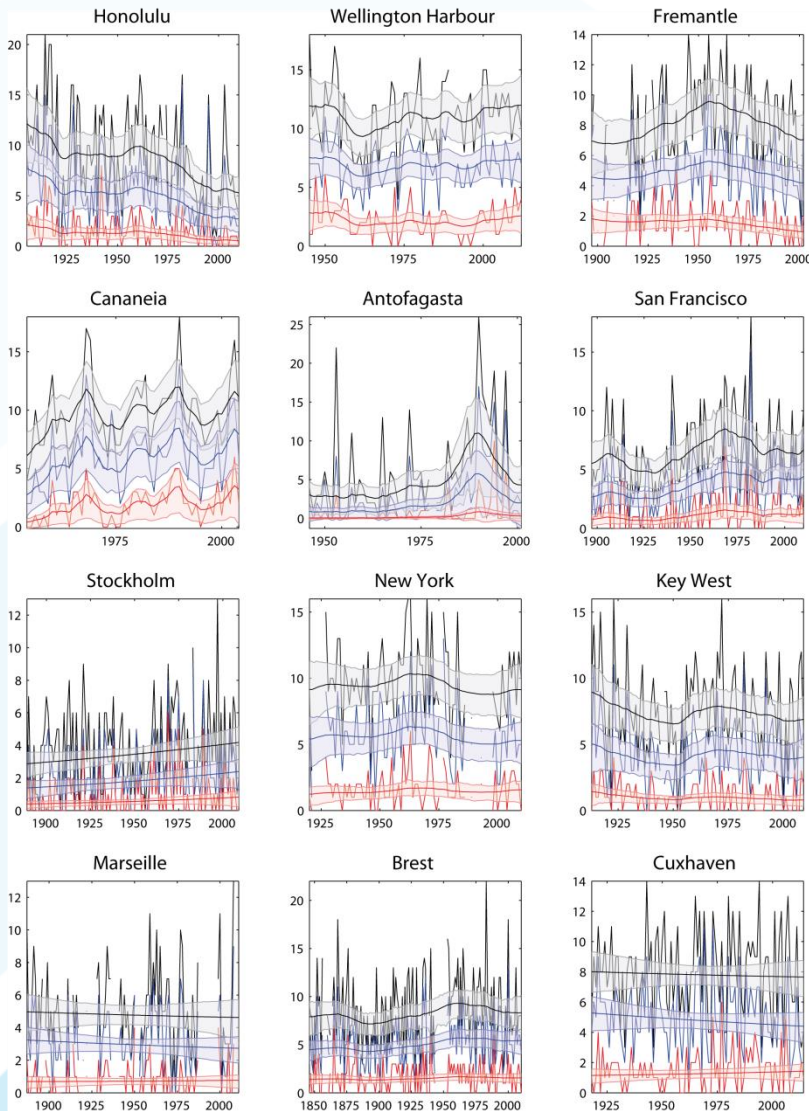
Extreme sea levels and time  
varying **location** parameter  
and **return level**



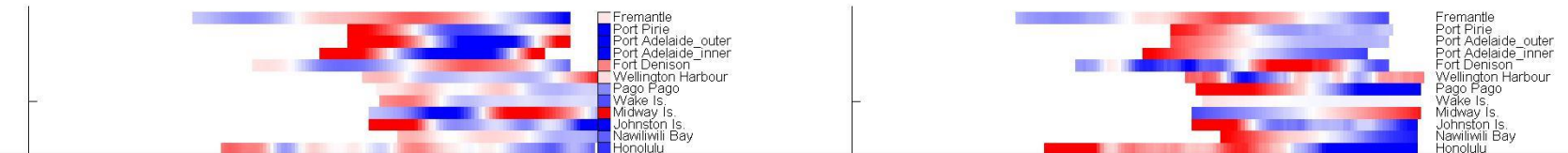
# Changes in extreme occurrence

...for selected sites

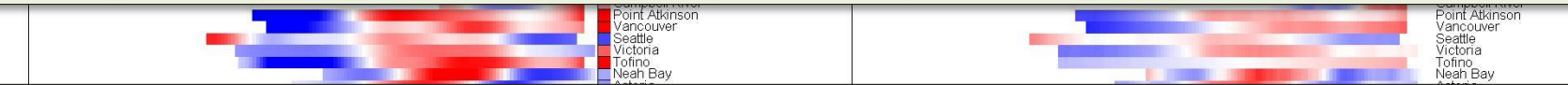
99th percentile  
99,5th percentile  
99,9th percentile



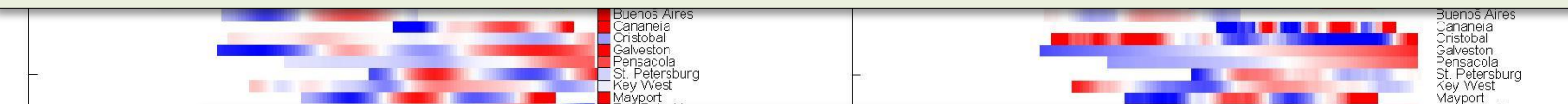
# Large scale coherency



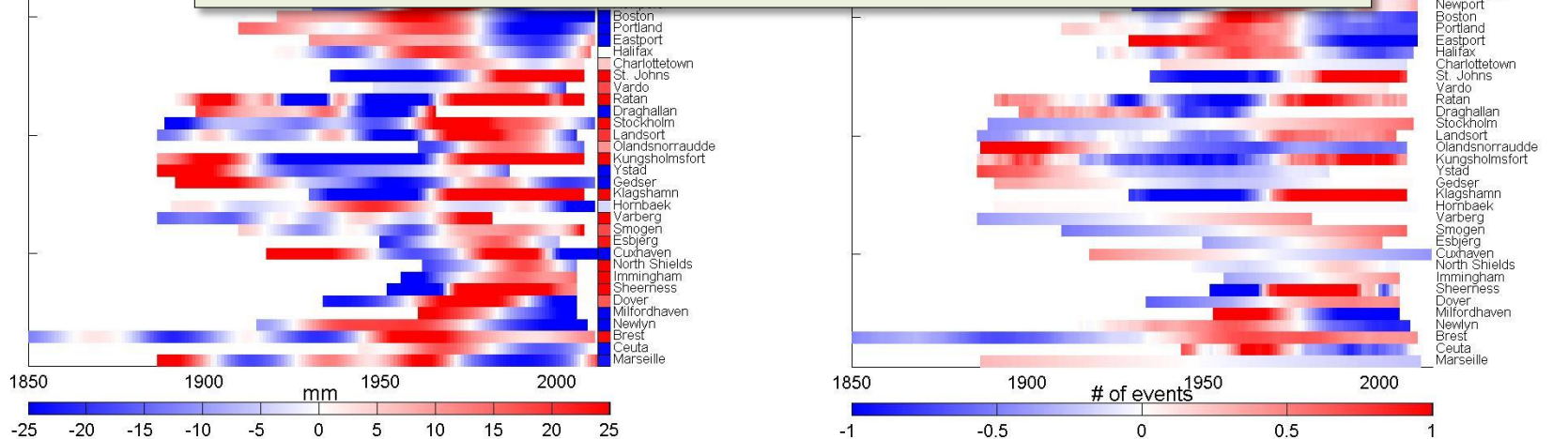
Changes in extremes do not generally follow a linear behaviour



Changes in intensity and occurrence follow the same patterns



Changes in extremes are regionally coherent



# Large scale climate drivers

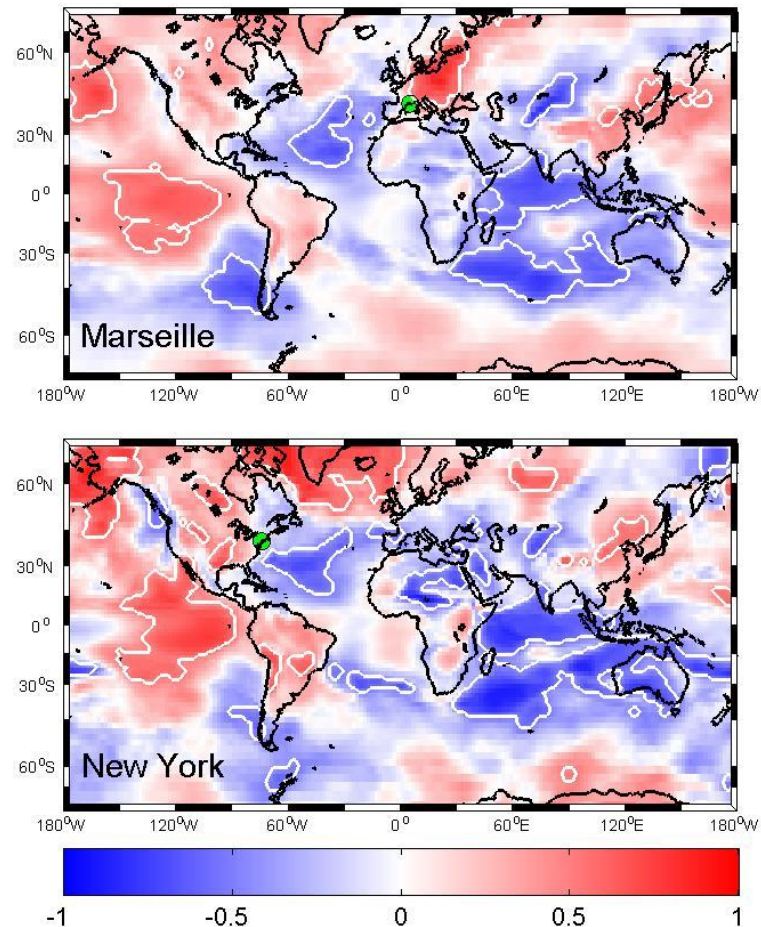
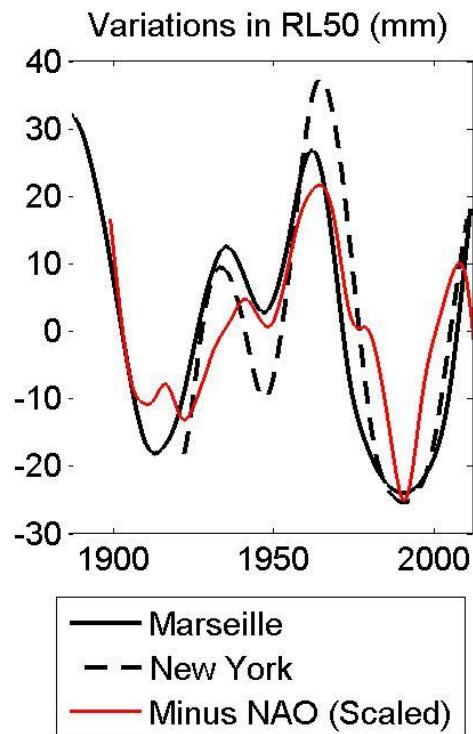


Correlations between climate indices and 50-years return levels



# Large scale climate drivers

Sea level extremes in Marseille and New York and their relationship with the NAO



# Conclusions

- A careful and detailed quality control is important for any extreme sea level study.
- Long term changes in extremes (and uncertainties) are robustly estimated using SSM, even when time series are uneven and gappy.
- Changes in extreme intensity and frequency at decadal time scales vary accordingly.
- Changes in extremes at decadal time scales are geographically consistent, suggesting a relationship with large scale climate drivers.



All the details can be found at:  
*Marcos et al. (2015) Long-term variations  
in global sea level extremes. JGR-Oceans*



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